

Measurement of the absolute hohlraum wall albedo under ignition foot drive conditions

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Abstract

We present the first measurements of the absolute albedos of hohl raums made from gold or from high -Z mixtures. The measurements are per formed over the range of radiation temperatures (70-100 eV) expected during the foot of an indirect -drive temporally -shaped ignition laser pulse, where accurate knowledge of the wall albedo (i.e. soft x -ray wall re-emission) is most critical for determinin g capsuler adiation symmetry. We find that the gold albedo agrees well with calculations using the supertransition array opacity model, potentially providing additional margin for ICF ignition.

-Z Indirectdriveinertialconfinementfusion(ICF)useshi ghintensitylasersorparticlebeamstoheatahigh RAD[1].Thex -rays cavity(hohlraum)thatproducessoftx -rayscharacterizedbyaradiationtemperature,T heatandablatethesurfaceofaDT -filledfusioncapsule,compressingandheatingtheDTfue luntilit ignites. Currentindirect drivet arget designs predict that ignition and gain can be achieved by heating hohlraumswithatemporally -shaped1.5 -2MJ,0.35 -micronlaserpulse[2 -5]. Thebaselineignitionlaser pulsecreatesatime -dependentT_{RAD},or"drive",thatconsistsofa10 -nslong"foot"at80 -100eV,followed RAD to a peak of 300 eV at 15 ns. The hohlraum conditions during the long foot of byarapidincreaseinT the pulse, including the uniformity of the radiation flux, are important.Thelevelofthefoot'sT RADsetsthe strengthofthefirstshock, while any spatial illumination non -uniformities during the footlead to asymmetricdrive.

The albedoist heratio of there - emitted x - ray flux to the incident x - ray flux. Accurate knowled geof this quantity is important to the ignition effort because it affects our estimates of the asymmetry during the foot. Radiation uniformity depends on a variety of parameters including the location of the lasers pots on the hohlraum wall and the x - ray brightness of those spots relative to the soft x - ray re - emission from the unirradiated wall. Higher albedole adstoal argerratio of wall re - emission to spot brightness, which reduces capsule asymmetries due to laser power imbalance and beam mispointing .

Inthisletter, were porton the first experiments that measure the absolute albedoof hohlraums made fromseveraldifferenthigh -ZmaterialsatradiationtemperaturesclosetotheNIFfootradiation temperature. Weuseanovel experimental technique in whichthehigh -Zhohlraumfromwhichweinfer thealbedoisheatedbysoftx -raysandnotbyalaser,thuseliminatingx -rayconversionefficiencyandlaser backscatterasparametersinthedataanalysis[6].Moreover,thesameinstrumentmeasuresthefl ux incidentuponthehigh -Zhohlraumwallandthefluxre -emittedfromthewall. This technique results in a measurementerrorinthealbedoofonly+/ -0.06. We show that the albedoof gold inferred from the experimentmatcheswellwithpredictionsusin gtheradiationhydrodynamicscode, LASNEX[7], with opacitiesfromthesupertransitionarray(STA)model[8,9]. Themeasured albedois larger than predicted from calculations that use the average -atom XSN model [10] for the opacity. This is important b ecausethe originalNIFlaserpowerbalancespecifications[11,12]werebasedonmodelingofgoldhohlraumsthat used the average -atom XSN approximation for the opacities, resulting in an albedoat the end of the 10 ns,

80eVfootpulsethatis~20%lower thanpredictedusingSTAopacities.Figure1showsthevariationin therandomcomponentofthefluxasymmetryontoanignitioncapsuleduringthefootasafunctionofthe randomlaserpowerimbalanceandthewallalbedo.Thecurvesareobtainedfroma radiationviewfactor analysis.Notethatthecapsulefluxasymmetryisplottedasafunctionofthermsvariationinthepowerof the48NIFquads,whichareeachmadeupoffourbeams.Thecurveforthealbedoof0.65,whichis consistentwithXSNestim atesoftheaveragealbedoforagoldhohlraumduringthefootofanignition pulse,istakendirectlyfromRef.[12].Theallowablecontributionfromlaserimbalancetotheflux asymmetryduringthefootisabout0.006,whichcorrespondstoafoot -averagedquad -to-quadimbalanceof about4%,andisconsistentwiththeNIFspecification.Theothercurveisforawallalbedoof0.80,which ismorerepresentativeoftheaveragewallalbedoestimatedusingSTAopacities.Weseethatatanalbedo of0.80,th eradiationonthecapsuleshouldbe~30%moreuniformthanpreviouslyestimated,providing additionalmarginforignition.

TheexperimentstomeasurelowT RADalbedowereperformedattheOmegalaserfacility.The experimentalsetupisshowninFigure2. Thebasicconfiguration(Fig.2b)consisted of two attached hohlraums. The primary hohlraum (1600 µmdiameter,1125 µmlength)producedthesoftx -raydrivethat heatedthesecondaryhohlraum, whosewallre -emissionwasmeasuredinordertoinferthewa llalbedo. The primary hohlraum was heated on one side by 15 laser beams that delivered 6.5 kJin a 1.5 -ns temporally-flatpulse.Itreachedapeakradiationtemperatureof~160eVandthatradiationheatedthe largersecondaryhohlraum. Wetestedsecon daryhohlraums(with3440 µmdiameter,and3750 µmlength) madeofgold,uranium(alloyedwith14% atomicfractionniobium),andamixture(or"cocktail")[13 -15] madeupof52% uranium,8% niobium,20% gold,and20% dysprosium. These secondary hohlraums reachedapeakradiationt emperatureof~100eV.Wealsotestedalargergoldsecondaryhohlraum(with 4400 µmdiameter, and 4800 µmlength), which had a lower peak radiation temperature (~70 eV) than the smallersecondaryhohlraums. Allsecondaryhohlraumshada 1000 µmdiameter diagnosticholeonthe end.

 $The radiation power out of the secondary hohl raum diagnostic hole (P \\ d) was measured by the Dante \\ filtered x - ray diode (XRD) array [16] and also by a photoconductive detector (PCD) [17]. To obtain a direct measurement of the power leaving the primary hohl raum and heating the secondary hohl raum (the power leaving the primary hohl raum) and the primary hohl raum and heating the secondary hohl raum (the power leaving the primary hohl raum) and the primary hohl raum and heating the secondary hohl raum (the primary hohl raum) and the primary hohl raum and heating the secondary hohl raum (the primary hohl raum) and the primary hohl raum and heating the secondary hohl raum (the primary hohl raum) and the primary hohl raum and heating the secondary hohl raum (the primary hohl raum) and the primary hohl raum (the primary hohl) and the primary hohl raum (the primary hohl raum) and the primary hohl raum (the primary hohl raum) and the primary hohl raum (the primary hohl raum) and the primary hohl raum (the primary hohl raum) and the primary hohl raum (the primary hohl raum) and t$

 $radiation source power, P_s), we also shot the primary hohlraum without the secondary attached (Fig. 2a), so \\ that the power from the primary (P_s) could be measured with the same two in struments as P_d. The principal measurement from this experiment is the ratio of the radiation power persolidangle onto the primary <math display="block"> hohlraum XRD to the radiation power persolidangle onto the secondary hohlraum XRD. We shall now show that this ratio depends on the albedo of the secondary hohlraum wall.$

Aradiationpowerbalancemodel[18,19] for the secondary hohlraum can be formulated as

$$P_s = P_h + P_d + P_w \tag{1}$$

where P_s is the source radiation power coming from the primary hohlraum, and P h, Pd, and P warethe radiations inks leaving these condary hohlr aum through the hole between the two hohlr aums, through the diagnostichole, and into the wall, respectively (see Fig. 2). We define the average radiation temperature in thesecondaryhohlraum, T RAD, by equating the total frequency -integrated radiation flux inside the hohlraumtoablackbodyflux σT_{RAD}^4 , where σ is the Stefan -Boltzmann constant. The radiation power leavingthesecondarythroughholes(P handP d)issimplytheradiationfluxinsidethesecondary(timestheholeareas(A handA d), respectively. The remaining term, P w, depen dsonthefraction of the impingingradiationthatisabsorbedbythewall(i.e.whatisnotabsorbedisre -emittedandthereforenot lost). Wedefine the albedo, α , as the ratio of the emitted radiation flux (F out)totheincidentradiationflux (F_{in}). Sincethefluxre -emittedbythewallisproportionalto α,theradiationpowerabsorbedbythewallis (1-α)timesthewallarea(A w). When P h, Pd, and P wareexpressed in terms of T RAD and α and substituted intoequation(1), we find that

$$P_{s} = \sigma T_{RAD}^{4} \left[A_{h} + A_{d} + A_{w} \left(1 - \alpha \right) \right]$$
(2)

 $\label{eq:condaryhohlraum} The radiation temperature of the secondary hohlraum (Times and the secondary hohlraum (Pinched and the second$

$$\alpha \sigma T_{RAD}^{4} = \alpha F_{in,avg} = \frac{1}{C_2} \alpha F_{in,view} = \frac{1}{C_2} \frac{P_{XRD2} \pi}{A_d \sin \beta}$$
 (3)

where ßistheXRDviewanglerelativetothewallnormal(seeFig.2),F in,avg istheaverageincidentflux overtheentiresecondaryhohlraumwall(A w),F_{in.view} is the incident flux over the portion of the secondary hohlraumwallviewedbytheXRD,andC 2isthefactorthatcorrectsforthenonuniformityoftheincident Bof52.6 °is flux. Wear eabletousetheangle -averagedalbedointhis equation because the viewing angle closeto48 °, which is the angle at which the angle -dependentandangle -averagedalbedosareequal.We calculated the spatial variation of the incident flux using a radiation view factor code. We find that Calculated the spatial variation of the incident flux using a radiation view factor code. We find that Calculated the spatial variation of the incident flux using a radiation view factor code. We find that Calculated the spatial variation of the incident flux using a radiation view factor code. We find that Calculated the spatial variation of the incident flux using a radiation view factor code. We find that Calculated the spatial variation of the incident flux using a radiation view factor code. We find that Calculated the spatial variation of the incident flux using a radiation view factor code. We find that Calculated the spatial variation of the incident flux using a radiation view factor code. We find that Calculated the spatial variation of the incident flux using a radiation view factor code. We find that Calculated the spatial variation of the incident flux using a radiation view factor code. We find that Calculated the spatial variation of the calculated the radiation of the radiati2is $well approximated as a quadra \\ tic function of the secondary hohl raumal bed of or both sizes of secondary \\$ $C_2(\alpha) = 1.927 - 0.834\alpha - 0.065\alpha^2$ forthe 3440 µm (100 eV) secondary hohlraum.Thatis, we have and $C_2(\alpha) = 2.044 - 0.946\alpha - 0.080\alpha^2$ forthe 4400 µm (70eV) secondary.

 $\label{eq:continuous_power} The total source power (P \quad {}_s) is r \quad elated to the power perster a diam measured by the XRD in the primary-hohlraum shot (P \ _{XRD1}) by$

$$P_s = C_1 P_{XRD1} \frac{\pi}{\sin \beta} \tag{4}$$

 $\label{thm:combination} where C_1 is a factor that accounts for the angle & -dependence of the emission due to the XRD viewing a combination of lasers po & ts, unirradiated wall, and laser entrancehole (see Fig. 2). Here we neglect the contribution to the source power from the radiation coming back from these condary hohlr aumbecause the correction is small (<5%) in comparison to the measurement uncertaint & y. From a Lasnex calculation of the gold primary hohlr aum we find that C_1 is close to 1, but decreases with time due to hole closure and changing emission volume as the wall blow & -off plasma in the primary hohlr aum expands. We approximate $C_1(t)$ as a piece & wise linear function of time where C_1 = 1 from 0 to 0.5 ns, varies linearly between 1 and 0.88 from 0.5 ns to 1.5 ns, and then varies linearly between 0.88 to 0.85 from 1.5 ns to 2.0 ns.$

Substituting equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (3) and (4) into (2), we get the following equations (4) and (4) into (4)

$$\frac{P_{XRD2}}{P_{XRD1}} = \frac{\alpha C_1(t) C_2(\alpha)}{\left[1 + \frac{A_h}{A_d} + \frac{A_w}{A_d} (1 - \alpha)\right]}$$
(5)

WedeterminedfromLasnexcalculationsofthedoublehohlraumsystemthatequation(5)isself -consistent towithinabout3%,indicatingthatequation(5) isappropriateforextractingthehohlraumalbedofromthe

experimentalmeasurements. Figure 3 shows the secondary -to-primary XRD power ratio as a function of time for a 3440 µm diameter golds econdary hohlraum. The measured data are the squares, with 20% error bars, which is the estimated uncertainty in unfolding the absoluter a diation persolidangle from the 10 channel XRD array. The curves are created from the ratio of sy nthetic XRD powers persolidangle extracted from two Lasnex calculations: a primary -only calculation and a double hohl raum calculation. For one calculation STA opacities are used for the secondary hohlraum, leading to the upper curve which agrees well with the data. The lower curve is from an almost identical set of calculations, except that XSN opacities are used in the secondary. The curves begin to diverge from one another at about 0.7 ns, and by 2 ns, the XSN curve has dropped outside the measure designed and the secondary.

AclearerdistinctionbetweentheSTAandXSNopacitymodelsforgoldcanbeseenbycomparing thesecondary -to-primaryratiosofasingleXRDchannel,ratherthancomparingthetotalpowerratios obtainedfromaspectraldeconvolutionofall10 XRDchannels.Rosen[20]haspreviouslyshownthe inaccuracyoftheXSNopacitymodelforgoldat70 -100eVbyexaminingburn -throughmeasurements.He notedthattheinaccuracyisattributabletothelackofn=4to4transitionsnearphotonenergieso f200 -300 eVintheXSNaverageatomapproximation.ThesetransitionsareincludedinthemoredetailedSTA opacitymodel.ThesecondXRDchannelcoversthisimportantspectralrangenearthePlanckianpeak, from~200 -280eV.Figure4comparesthemeas uredandcalculatedXRDchannel2signalratios (secondarytoprimary)forthe100eVgoldsecondaryhohlraum.TheratioextractedfromtheSTA calculationagreeswiththedataandisafactorof2abovetheXSNvalue,providingclearexperimental verificationthatSTAisneededtoaccuratelymodelgoldatthisradiationtemperature.

 $Figure 5 summarizes the data from all the different types of secondary hohlr aums that were used in these experiments. The data are plotted in terms of an equivalent albedoat peak T <math display="inline">_{\rm RAD}(t=1.5 {\rm ns})$ by substituting the secondary -to-primary XRD power ratio into equation (5). The measured albedos are known to within +/ -0.06, which follows from equation (5), assuming a 20% uncertainty in the measured secondary-to-primary XRD ration. Note that the absolute albedos plotted in Fig. 5 are lower than the albedos at the end of the 10 nsignition footpulse (see Fig. 1) because the Omegalaser's energy limited these experiments to 1.5 ns. The measured albedos are compared to the predicted albedos from the simulations that used STA opacities in the secondary hohlr aum. The predicted albedos are also obtained

fromequation(5),butusingthesimulatedsecondary -to-primaryXRDratioinsteadofthemeasuredratio. Forthegoldandcocktail hohlraums,weseegoodagreementbetweenthedataandtheSTAprediction.We noteherethatthecocktailhohlraumdoesnothaveahigheralbedothangoldat100eVbecausethemixture ofmaterialswaschosentomaximizethealbedoforradiationtemperatur esof250 -300eVthatoccurduring thepeakoftheignitiondrivepulse.Theonlymaterialthatdidnotfollowtheexpectedtrendswasuranium, whichhasameasuredalbedothatisabovetheSTAprediction.Directmeasurementsoftheuranium opacityinth istemperatureregimewillberequiredtodeterminewhetherSTAiscorrectlypredictingthe opacityofuranium.

Insummary, we have performed the first absolute measurements of the albedoof high -Zhohlraums in the temperature range of 70 -100 eV, which is the range of temperature sthat characterize the foot of an indirect drive ignition pulse. We find that the albedoof gold predicted from LASNEX calculations that use the STA opacity model agree well with the measured values, and that calculations using ST A opacities provide better over all agree ment with the data than calculations that use the average atom XSN model for the opacity. Since the gold albedopredicted for the foot of an ignition pulse using STA opacities is about 20% higher than previous XSN -based calculations, this results in approximately a 30% reduction in the random flux nonuniformity due to random laser power imbalance during the foot compared to previous estimates, providing additional margin for ignition.

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Figures

- Fig.1.Fluxasymmetryontoignitioncapsuleduringfootof pulseasfunctionofrandom laserpowerimbalanceandwallalbedo.
- Fig. 2. Schematic of the (a) primary and (b) double hohl raum experiment together with x-ray power diagnostics and calculated x -ray emission.
- Fig.3.Measured(squares)andcalculated(curves)time -dependentratiosofthe secondaryhohlraumpowerpersolidangletotheprimaryhohlraumpowerpersolidangle fora3440 µmdiametergoldsecondaryhohlraum.
- $Fig. 4. Measured and predicted ratios of the secondary hohlraum XRD channel 2 (200\,280 eV) signal to the primary XRD channel 2 signal.$
- $\label{eq:Fig.5.Comparison} Fig. 5. Comparison of the measured (squares) and predicted hohlraum albedos at peak T_{RAD} for different secondary hohlraums.$

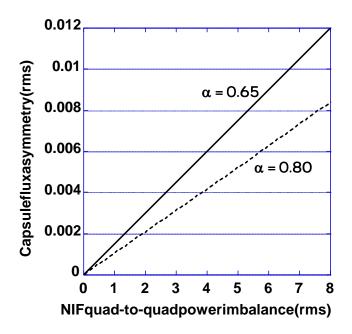


Fig.1

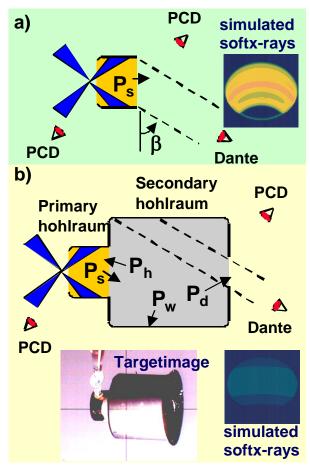


Fig.2

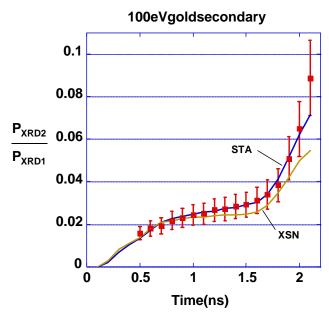


Fig.3

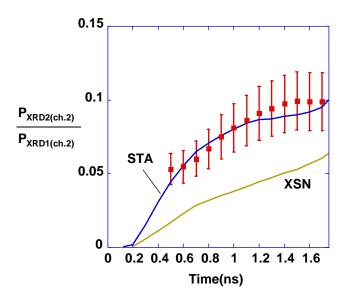


Fig.4

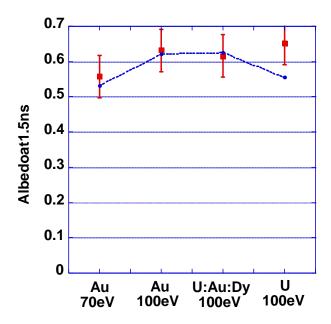


Fig.5